

Practice B

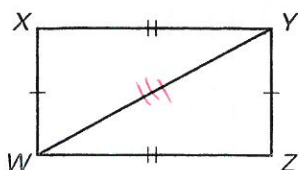
For use with pages 212-219

For each triangle, name the included angle between the pair of sides given.

- (5) 1. $\triangle MAT$: \overline{MT} and \overline{TA} ~~AT~~ 2. $\triangle CDA$: \overline{CA} and \overline{DC} ~~AC~~
 3. $\triangle PSC$: \overline{CS} and \overline{PS} ~~CS~~ 4. $\triangle WDG$: \overline{DG} and \overline{GW} ~~WDG~~

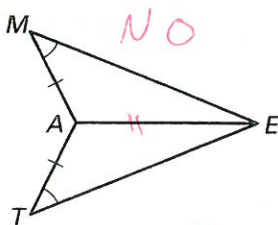
Decide whether enough information is given to prove that the triangles are congruent. If there is enough information, state the congruence postulate you would use.

- 5.
- $\triangle XYW, \triangle ZWY$



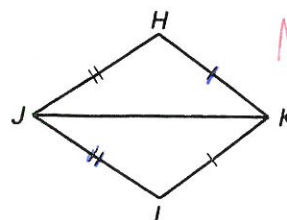
Yes, SSS

- 6.
- $\triangle MAE, \triangle TAE$



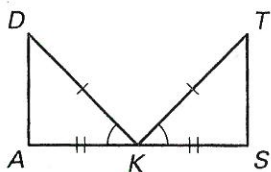
NO

- 7.
- $\triangle KHJ, \triangle JLK$



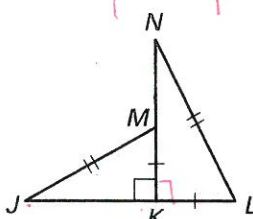
NO

- 8.
- $\triangle DKA, \triangle TKS$



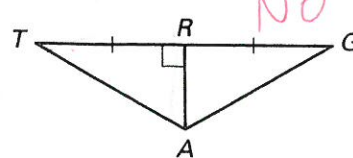
Yes, SAS

- 9.
- $\triangle JKM, \triangle NKL$



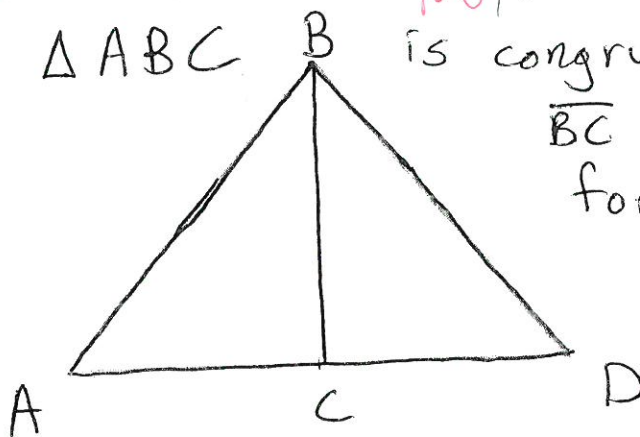
NO, SSA

- 10.
- $\triangle TRA, \triangle ARG$



NO

11. Prove $\triangle ABC$ is congruent to $\triangle DBC$ if \overline{BC} is a perpendicular bisector for \overline{AD} .



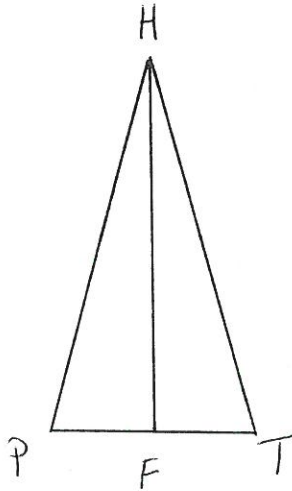
| Statement | Reason |
|---|-------------------|
| \overline{BC} is a \perp bis. for \overline{AD} | Given |
| $\overline{BC} \cong \overline{BC}$ | Reflexive Prop. |
| $AB = BD$ | \perp Bis. Thm |
| $\overline{AB} \cong \overline{BD}$ | def. of \cong |
| $AC = CD$ | \perp Bis. Thm |
| $\overline{AC} \cong \overline{CD}$ | def. of \cong |
| $\triangle ABC \cong \triangle DBC$ | SSS \cong Post. |

Name

Date

Per

\overline{HF} is the perpendicular bisector of \overline{PT}



Do two different proofs to show $\triangle HPF \cong \triangle HTF$. One proof must use SSS and the other must use SAS.

| Statement | Reason |
|--|----------------------|
| \overline{HF} is the \perp bis. of \overline{PT} | given |
| $\overline{PF} \cong \overline{FT}$ | def. of \perp bis. |
| $HP = HT$ | \perp Bis. Thm |
| $\overline{HP} \cong \overline{HT}$ | def. of \cong |
| $\overline{HF} \cong \overline{HF}$ | reflexive prop. |
| $\triangle HPF \cong \triangle HTF$ | SSS |

| Statement | Reason |
|--|-------------------------|
| \overline{HF} is the \perp bis. of \overline{PT} | given |
| $\overline{HF} \cong \overline{HF}$ | reflexive prop. |
| $\angle HFP$ and $\angle HFT$ are right angles | def. of \perp bis. |
| $\angle HFP \cong \angle HFT$ | right angle \cong thm |
| $\overline{PF} \cong \overline{FT}$ | def. of \perp bis. |
| $\triangle HPF \cong \triangle HTF$ | SAS |

| Statement | Reason |
|--|-------------------------|
| \overline{HF} is the \perp bis. of \overline{PT} | given |
| $HP = HT$ | \perp bis. Thm |
| $\overline{HP} \cong \overline{HT}$ | def. of \cong |
| $\angle HPT \cong \angle HTP$ | Base Angles Thm |
| $\angle HFP$ and $\angle HFT$ are right \angle s | def. of \perp bis. |
| $\angle HFP \cong \angle HFT$ | Right Angle \cong Thm |
| $\triangle HPF \cong \triangle HTF$ | AAS |

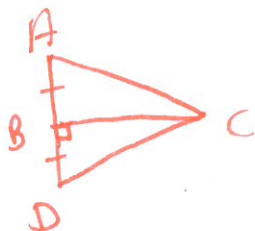
* Could show also:

| | |
|-------------------------------------|------------------|
| $HP = HT$ | \perp Bis. Thm |
| $\overline{HP} \cong \overline{HT}$ | def. of \cong |
| $\angle HPT \cong \angle HTP$ | Base Angles Thm |

* could also show:

| | |
|-------------------------------------|-----------------|
| $\overline{HF} \cong \overline{HF}$ | reflexive Prop. |
|-------------------------------------|-----------------|

Given



Prove

$$\triangle ABC \cong \triangle DBC$$

| Statement | Reason |
|-------------------------------------|--|
| $\overline{AB} \cong \overline{BD}$ | Given |
| $\angle CBD$ is a right angle | Given |
| $\overline{CB} \perp \overline{AD}$ | def of \perp |
| $\angle ABC$ is a right angle | If two lines are \perp , then they form 4 right angles |
| $\angle ABC \cong \angle DBC$ | Right Angle Congruence Thm |
| $\overline{BC} \cong \overline{BC}$ | Reflexive Property |
| $\triangle ABC \cong \triangle DBC$ | SAS \cong Post. |

Alternative Steps

| | |
|---|---------------------|
| \overline{CB} is the \perp bis. for \overline{AD} | def. of \perp bis |
| $AC = DC$ | \perp Bis. Thm |
| $\overline{AC} \cong \overline{DC}$ | def. of \cong |
| $\angle CAB \cong \angle CDB$ | Base \angle s Thm |